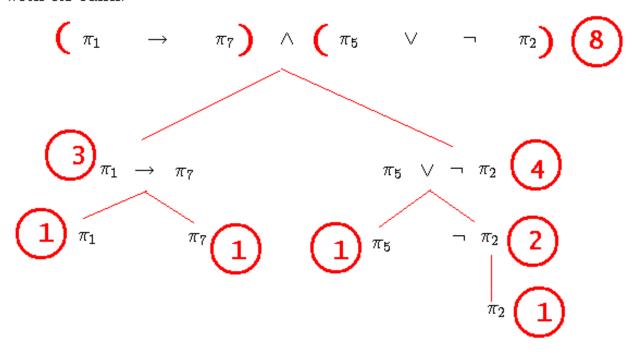
(11 points) Rewrite the formula $((\pi_1) \to (\pi_7)) \land ((\pi_5) \lor (\neg(\pi_2)))$ with as few parentheses as possible for a correct formula.

Then, below the formula, draw a tree diagram for it. Then label each subformula with its rank.



(9 points) The string $\pi_3 \vee \neg \pi_1 \to \pi_2$ is not a formula; it has too few parentheses. By inserting additional parentheses into $\pi_3 \vee \neg \pi_1 \to \pi_2$ in different ways, obtain three correct formulas that are different in the sense that they would have different tree diagrams. (You are not required to draw the tree diagrams.)

$$\pi_3$$
 \vee \neg $(\pi_1 \rightarrow \pi_2)$
 π_3 \vee $((\neg \pi_1) \rightarrow \pi_2)$
 $(\pi_3 \vee \neg \pi_1) \rightarrow \pi_2$